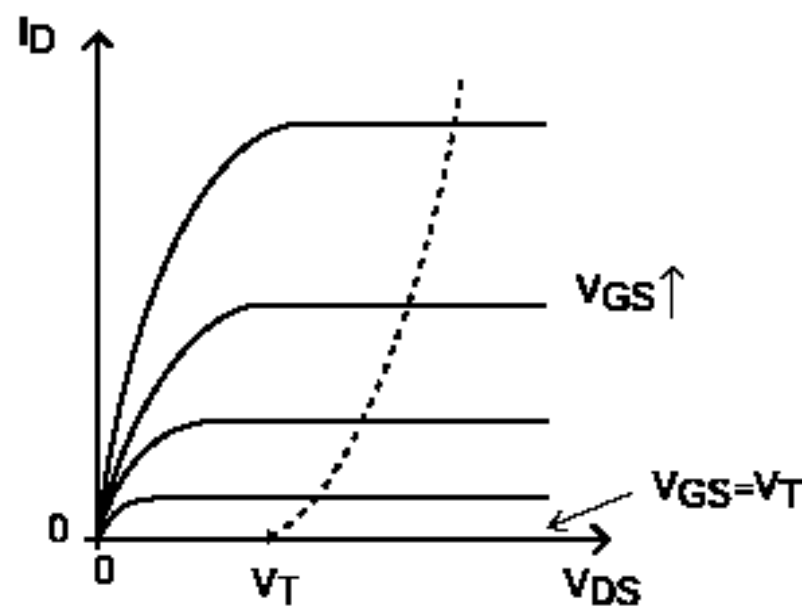
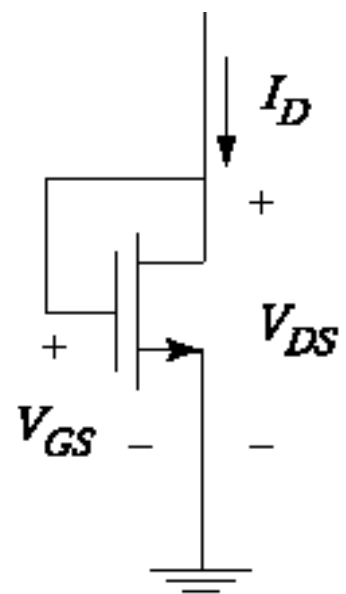


Lecture Ten  
Differential Amplifier

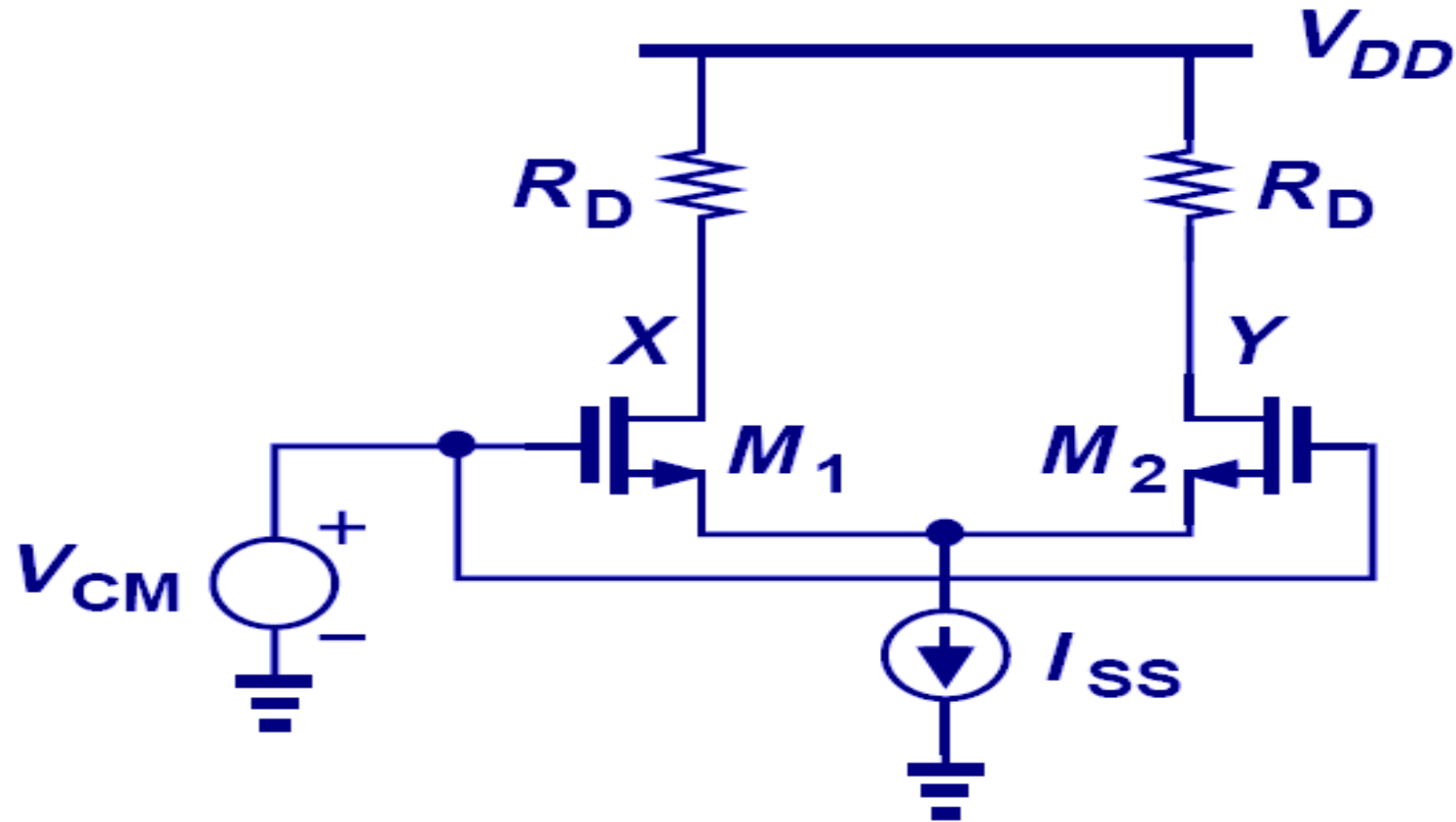
Differential amplifiers apply gain not to one input signal but to the *difference* between two input signals. This means that a differential amplifier naturally eliminates noise or interference that is present in both input signals.

## Why Differential?

- **Differential circuits are much less sensitive to noises and interferences**
- **Differential configuration enables us to bias amplifiers and connect multiple stages without using coupling or bypass capacitors.**



# MOS Differential Pair's Common-Mode Response



$$I_{D1} = I_{D2} = \frac{I_{SS}}{2}$$

$$V_X = V_Y = V_{DD} - R_D \frac{I_{SS}}{2}$$

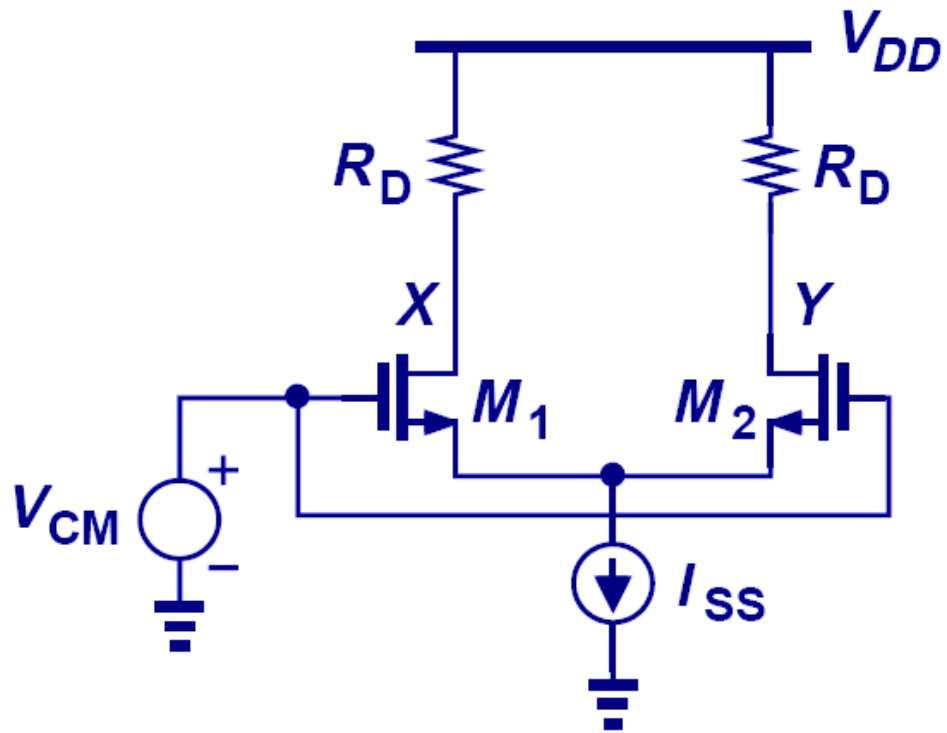
$$I_D = \frac{I_{SS}}{2}$$

$$I_D = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_{GS(TH)})^2$$

$$(V_{GS} - V_{GS(TH)})_{equil} = \sqrt{\frac{I_{SS}}{\mu_n C_{ox} \frac{W}{L}}}$$

The equilibrium overdrive voltage is defined as the overdrive voltage seen by M1 and M2 when both of them carry a current of  $\frac{I_{SS}}{2}$ .

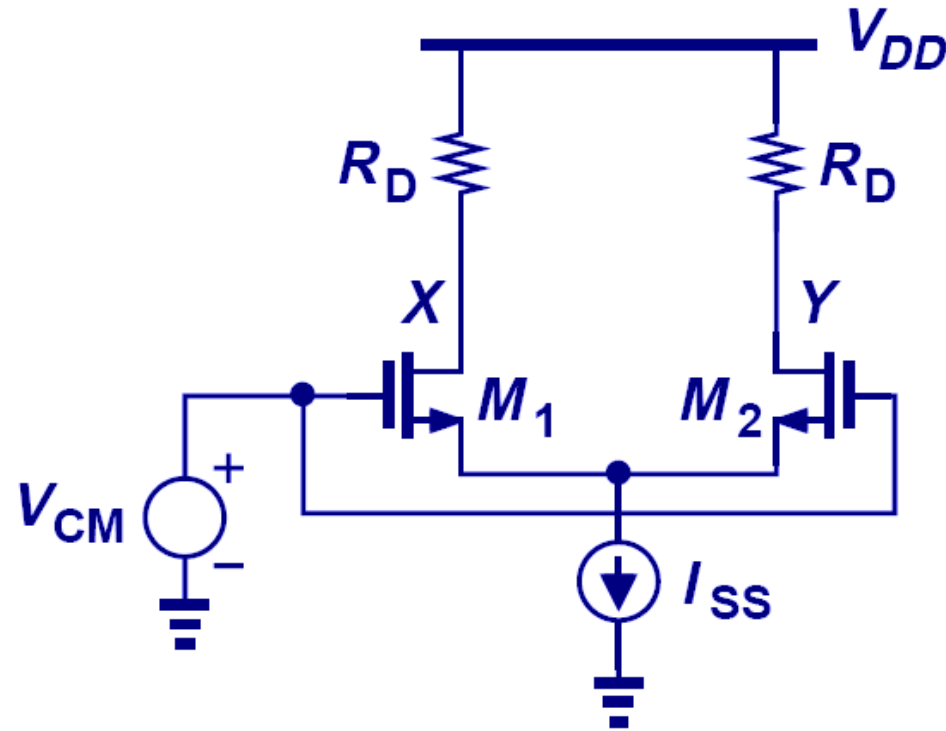
## Minimum Common-mode Output Voltage



$$V_{DD} - R_D \frac{I_{SS}}{2} > V_{CM} - V_{GS(TH)}$$

- In order to maintain M1 and M2 in saturation, the common mode output voltage cannot fall below the value above.
- This value usually limits voltage gain.

A MOS differential pair is driven with an input CM level of 1.6V. If  $I_{SS}=0.5\text{mA}$ ,  $V_{GS(TH)}=0.5\text{V}$ , and  $V_{DD}=1.8\text{V}$ , what is the maximum allowable load resistance?





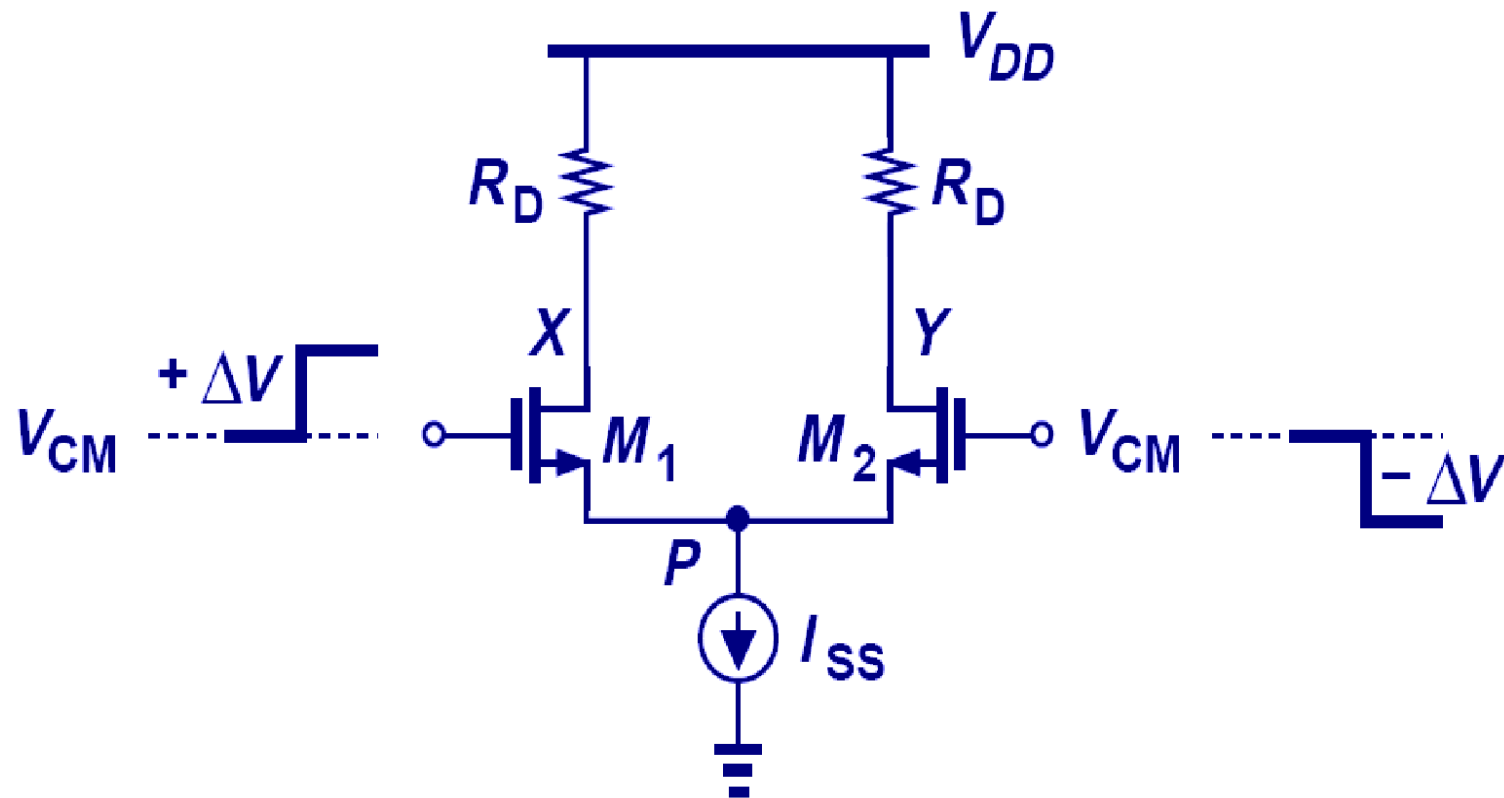
Solution:-

$$V_{DD} - R_D \frac{I_{SS}}{2} > V_{CM} - V_{GS(TH)}$$

$$R_D < 2 \frac{V_{DD} - V_{CM} + V_{GS(TH)}}{I_{SS}}$$

$$R_D < 2.8 \text{ K}\Omega$$

## Small-Signal Response



$$\Delta V_P = 0$$

$$\Delta I_{D1} = g_m \Delta V$$

$$\Delta I_{D2} = -g_m \Delta V$$

$$\Delta V_X - \Delta V_Y = -2 g_m R_D \Delta V$$

$$A_V = -g_m R_D$$

Similar to its bipolar counterpart, the MOS differential pair exhibits the same virtual ground node and small signal gain.



Solution:-

$$I_{SS} = \frac{2 \text{ mW}}{1.8 \text{ V}} = 1.11 \text{ mW}$$

$$V_{CM} = V_{DD} - R_D \frac{I_{SS}}{2} \geq 1.6 \text{ V}$$

$$R_D \leq 360 \Omega$$

For  $R_D = 360 \Omega$

$$g_m = \frac{A_V}{R_D} = \frac{5}{360 \Omega} = \sqrt{2\mu_n C_{ox} \frac{W}{L} \frac{I_{SS}}{2}}$$

$$\frac{W}{L} = 1738$$