University Of Diyala College Of Engineering Computer Engineering Department

# COMPUTER ARCHITECTURE I 

## PART 3: LOGIC MICROOPERATIONS

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## CONTENTS

- Logic Micro-operations
- Shift Micro-operations
- Arithmetic Logic Shift Unit


## 4-5 LOGIC MICRO-OPERATIONS THE FOUR BASIC MICRO-OPERATIONS

## OR Microoperation

Symbol: $\vee,+$

Gate:


Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \vee \mathbf{1 0 1 0 1 1 0}_{\mathbf{2}}=\mathbf{1 1 1 0 1 1 0}_{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS THE FOUR BASIC MICRO-OPERATIONS

## AND Microoperation

Symbol: ^

Gate:


Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \wedge \mathbf{1 0 1 0 1 1 0}_{\mathbf{2}}=\mathbf{0 0 0 0 1 1 0}_{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS THE FOUR BASIC MICRO-OPERATIONS

## Complement (NOT) Microoperation

Symbol:

Gate:


Example: $\mathbf{1 0 1 0 1 1 0}_{\mathbf{2}} \mathbf{~ O ~}_{\mathbf{0 1 0 1 0 0 1}}^{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS THE FOUR BASIC MICRO-OPERATIONS

## XOR (Exclusive-OR) Micro-operation

Symbol: $\oplus$

Gate:


Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \oplus \mathbf{1 0 1 0 1 1 0}_{\mathbf{2}}=\mathbf{1 1 1 0 0 0}_{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS OTHER LOGIC MICRO-OPERATIONS

## NAND Micro-operation

Symbols: ^ and

Gate:


Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \wedge \mathbf{1 0 1 0 1 1 0}_{\mathbf{2}}=\mathbf{1 1 1 1 0 0 1}_{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS OTHER LOGIC MICRO-OPERATIONS

NOR Micro-operation

Symbols: v and

Gate:


Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \vee \mathbf{1 0 1 0 1 1 0}_{\mathbf{2}} \mathbf{=} \mathbf{0 0 0 1 0 0 1}_{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS OTHER LOGIC MICRO-OPERATIONS

## Selective-set Operation

Used to force selected bits of a register into logic-1 by using the OR operation

Example: $\mathbf{0 1 0 0}_{\mathbf{2}} \vee \mathbf{1 0 0 0}_{\mathbf{2}} \mathbf{= 1 1 0 0}{ }_{2}$


In a processor register

Loaded into a register from memory to perform the selective-set operation

## 4-5 LOGIC MICRO-OPERATIONS OTHER LOGIC MICRO-OPERATIONS

## Selective-complement (toggling) Operation

Used to force selected bits of a register to be complemented by using the XOR operation

Example: $\mathbf{0 0 0 1}_{\mathbf{2}} \oplus \mathbf{1 0 0 0}_{\mathbf{2}}=\mathbf{1 0 0 1}_{2}$


Loaded into a register from memory to perform the
In a processor register selective-complement operation

## 4-5 LOGIC MICRO-OPERATIONS OTHER LOGIC MICRO-OPERATIONS

Insert Operation

Step1: mask the desired bits
Step2: OR them with the desired value

Example: suppose R1 = 0110 1010, and we desire to replace the leftmost 4 bits (0110) with 1001 then:

- Step1: $01101010 \wedge 00001111$
- Step2: 00001010 v 10010000
$\rightarrow R 1=10011010$


## 4-5 LOGIC MICRO-OPERATIONS OTHER LOGIC MICRO-OPERATIONS

## Set (Preset) Micro-operation

Force all bits into 1's by ORing them with a value in which all its bits are being assigned to logic-1

Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \vee \mathbf{1 1 1 1 1 1}_{\mathbf{2}}=\mathbf{1 1 1 1 1 1}_{\mathbf{2}}$

## Clear (Reset) Micro-operation

Force all bits into 0's by ANDing them with a value in which all its bits are being assigned to logic-0

Example: $\mathbf{1 0 0 1 1 0}_{\mathbf{2}} \wedge \mathbf{0 0 0 0 0 0}_{\mathbf{2}}=\mathbf{0 0 0 0 0 0}_{\mathbf{2}}$

## 4-5 LOGIC MICRO-OPERATIONS HARDWARE IMPLEMENTATION

The hardware implementation of logic microoperations requires that logic gates be inserted for each bit or pair of bits in the registers to perform the required logic function
$\square$ Most computers use only four (AND, OR, XOR, and NOT) from which all others can be derived.

## 4-5 LOGIC MICRO-OPERATIONS HARDWARE IMPLEMENTATION CONT.



Figure B

## 4-6 SHIFT MICROOPERATIONS

$\square$ Used for serial transfer of data
$\square$ Also used in conjunction with arithmetic, logic, and other data-processing operations
$\square$ The contents of the register can be shifted to the left or to the right
$\square$ As being shifted, the first flip-flop receives its binary information from the serial input
$\square$ Three types of shift: Logical, Circular, and Arithmetic

## 4-6 SHIFT MICROOPERATIONS CONT.



## 4-6 SHIFT MICRO-OPERATIONS: LOGICAL SHIFTS

Transfers 0 through the serial input
Logical Shift Right: R1 $\leftarrow$ shr R1


Logical Shift Left: R2 $\leftarrow$ shl R2
The same


## 4-6 SHIFT MICRO-OPERATIONS: CIRCULAR SHIFTS (ROTATE OPERATION)

Circulates the bits of the register around the two ends without loss of information

Circular Shift Right: R1 $\leftarrow$ cir R1


Circular Shift Left: R2 $\leftarrow$ cil R2
The same


Circular Shift Left

## 4-6 SHIFT MICRO-OPERATIONS ARITHMETIC SHIFTS

Shifts a signed binary number to the left or right An arithmetic shift-left multiplies a signed binary number by 2 : ashl (00100): 01000
An arithmetic shift-right divides the number by 2 ashr (00100) : 00010
An overflow may occur in arithmetic shift-left, and occurs when the sign bit is changed (sign reversal)

## 4-6 SHIFT MICRO-OPERATIONS ARITHMETIC SHIFTS CONT.



Sign
Bit
Arithmetic Shift Right


## 4-6 SHIFT MICROOPERATIONS CONT.

## Example: Assume

 R1=11001110, then:- Arithmetic shift right once : R1 = 11100111
- Arithmetic shift right twice : R1 = 11110011
- Arithmetic shift left once : R1=10011100
- Arithmetic shift left twice : R1=00111000
- Logical shift right once : R1 = 01100111
- Logical shift left once : R1 = 10011100
- Circular shift right once : R1 = 01100111
- Circular shift left once : R1 = 10011101


## 4-6 SHIFT MICRO-OPERATIONS HARDWARE IMPLEMENTATION

A possible choice for a shift unit would be a bidirectional shift register with parallel load (refer to Fig 2-9). Has drawbacks:

- Needs two pulses (the clock and the shift signal pulse)
- Not efficient in a processor unit where multiple number of registers share a common bus

It is more efficient to implement the shift operation with a combinational circuit

## 4-6 SHIFT MICRO-OPERATIONS HARDWARE IMPLEMENTATION CONT.



4-bit Combinational Circuit Shifter

## 4-7 ARITHMETIC LOGIC SHIFT UNIT


#### Abstract

Instead of having individual registers performing the Microoperations directly, computer systems employ a number of storage registers connected to a common operational unit called an Arithmetic Logic Unit (ALU)


## 4-7 ARITHMETIC LOGIC SHIFT UNIT CONT.



# 4-7 FUNCTION TABLE ARITHMETIC LOGIC SHIFT UNIT 

| Operation select |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $S_{3}$ | $S_{2}$ | $S_{1}$ | $S_{0}$ | $C_{\text {in }}$ | Operation | Function |
| 0 | 0 | 0 | 0 | 0 | $F=A$ | Transfer $A$ |
| 0 | 0 | 0 | 0 | 1 | $F=A+1$ | Increment $A$ |
| 0 | 0 | 0 | 1 | 0 | $F=A+B$ | Addition |
| 0 | 0 | 0 | 1 | 1 | $F=A+B+1$ | Add with carry |
| 0 | 0 | 1 | 0 | 0 | $F=A+\bar{B}$ | Subtract with borrow |
| 0 | 0 | 1 | 0 | 1 | $F=A+\bar{B}+1$ | Subtraction |
| 0 | 0 | 1 | 1 | 0 | $F=A-1$ | Decrement $A$ |
| 0 | 0 | 1 | 1 | 1 | $F=A$ | Transfer $A$ |
| 0 | 1 | 0 | 0 | $\times$ | $F=A \wedge B$ | AND |
| 0 | 1 | 0 | 1 | $\times$ | $F=A \vee B$ | OR |
| 0 | 1 | 1 | 0 | $\times$ | $F=A \oplus B$ | XOR |
| 0 | 1 | 1 | 1 | $\times$ | $F=\bar{A}$ | Complement $A$ |
| 1 | 0 | $\times$ | $\times$ | $\times$ | $F=\operatorname{shr} A$ | Shift right $A$ into $F$ |
| 1 | 1 | $\times$ | $\times$ | $\times$ | $F=\operatorname{shl} A$ | Shift left $A$ into $F$ |

